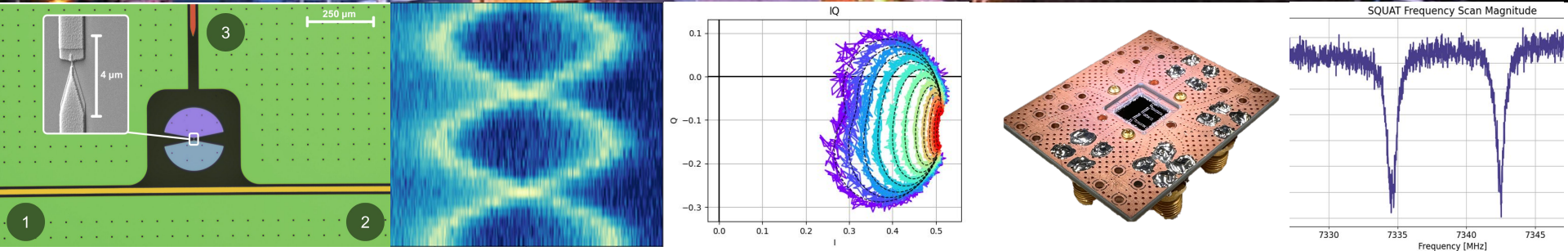


# First demonstration of the Superconducting Quasiparticle Amplifying Transmon (SQUATs)

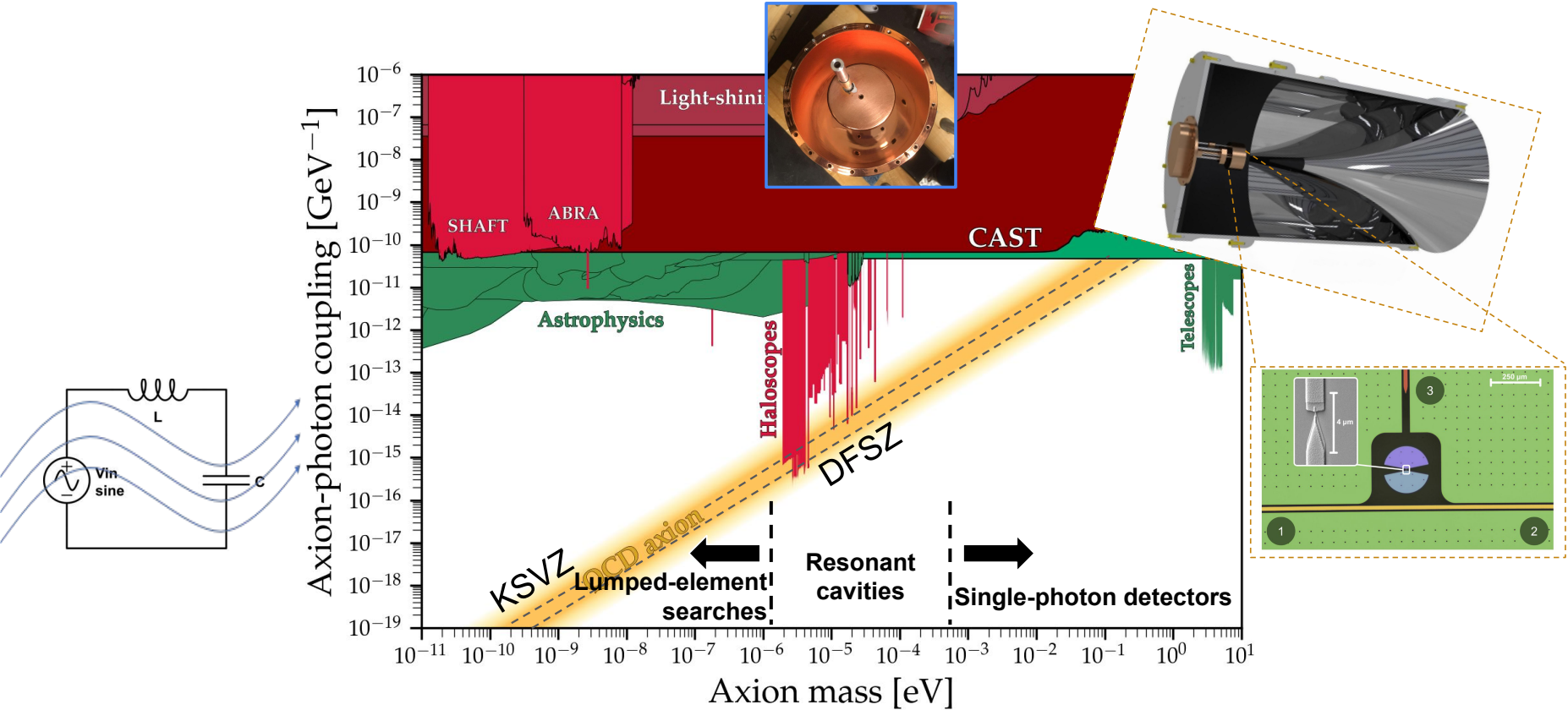


Alex Droster, postdoc at Stanford/SLAC  
 BREAD collaboration meeting, Harvard University  
 01/15/26

# Outline

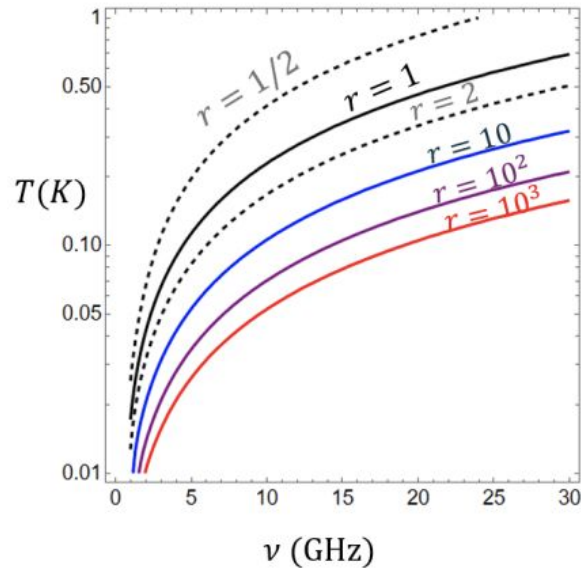
1. Single photon detectors for axion experiments
2. The quantum capacitance detector (QCD)
3. SQUATs
  - a. Design, operating principle, readout
  - b. Frequency-domain measurements
  - c. Pulsed measurements
  - d. Parity measurements
  - e. Antenna modes
  - f. Temperature dependence

# SQUATs as THz axion detectors



# Searching for high-mass axions requires new detector technology

SQL amplifier vs  $100\text{s}^{-1}$  dark count rate SPD

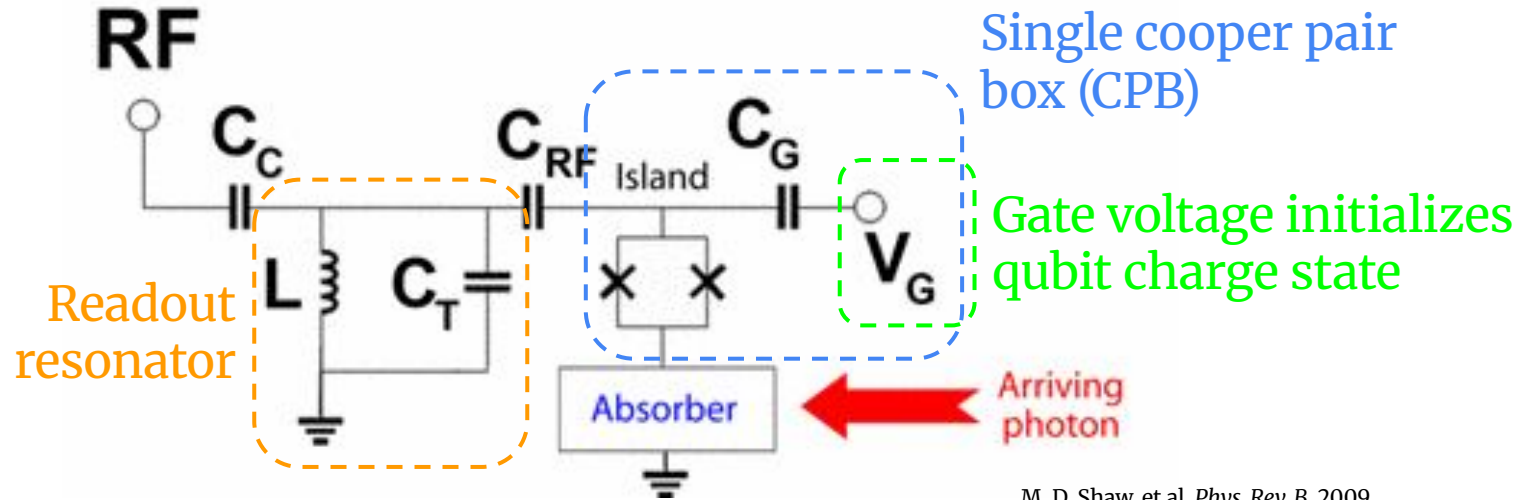


$$r = \frac{\text{Scan rate}_{SPD}}{\text{Scan rate}_{amp}}$$

Maximizing Quantum Enhancement in Axion Dark Matter Experiments, *Phys. Rev. D.*, 2025

# Quantum capacitance detectors (QCD)

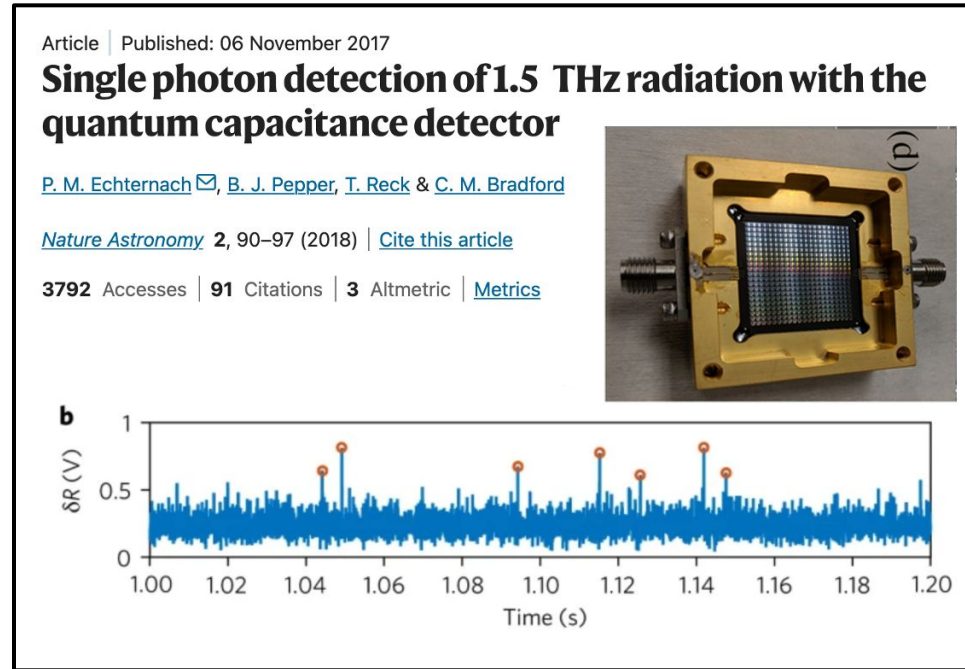
- Quantum capacitance detectors are proven sensors of THz photons†
- Photon event changes charge state of qubit, changes capacitance of Cooper pair box (CPB)
- Signal is read out with an RF probe tone: photon event changes resonant frequency



†P. M. Enternach, et al.,  
*Nature Astronomy*, 2017

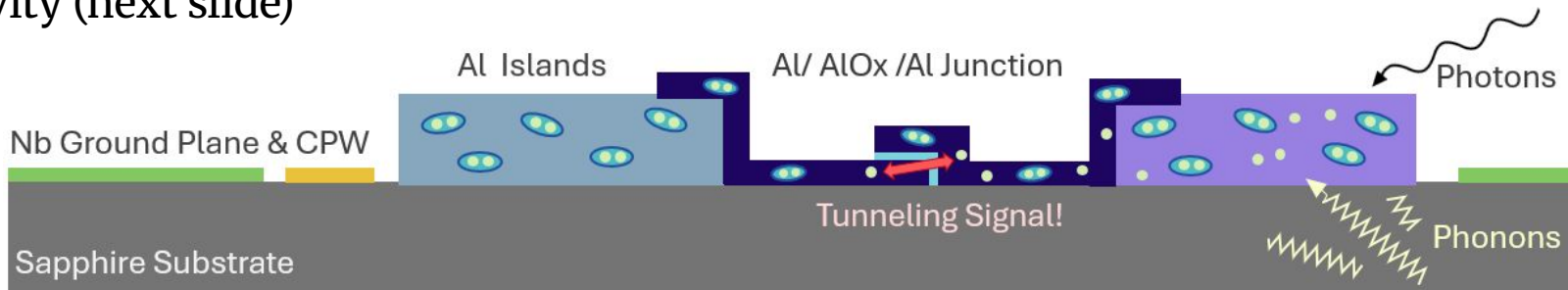
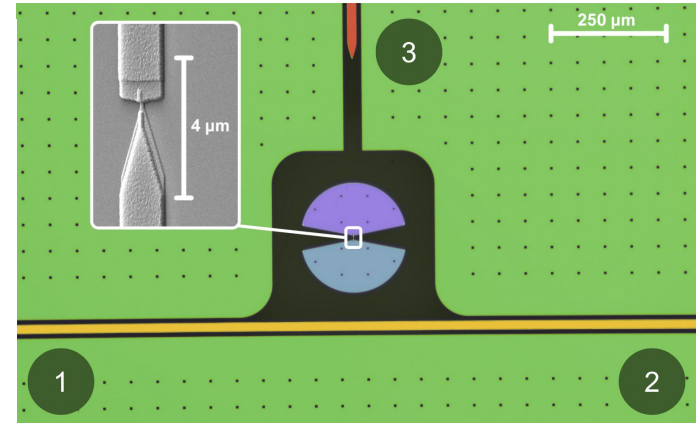
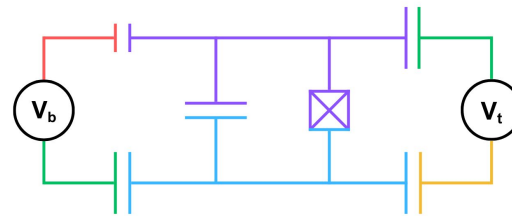
M. D. Shaw, et al. *Phys. Rev. B*, 2009

# We know qubits can detect THz radiation... so what good are SQUATs?

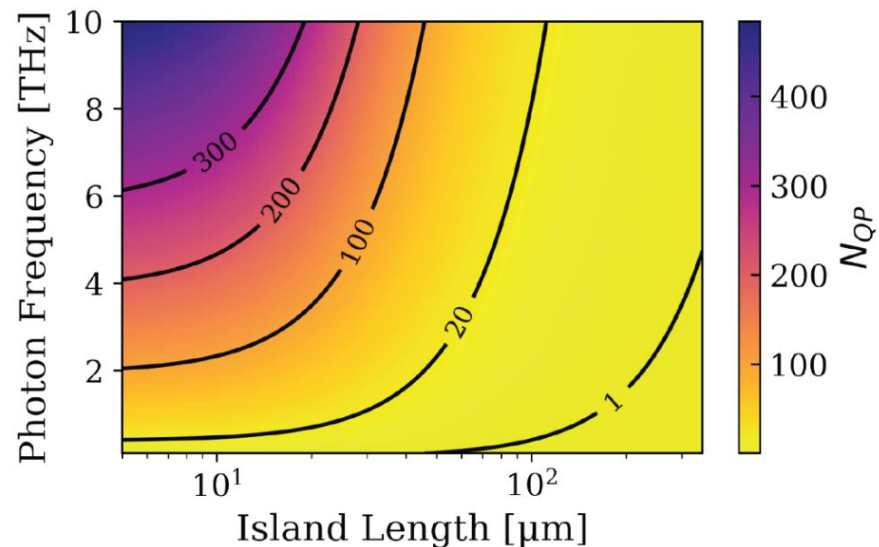
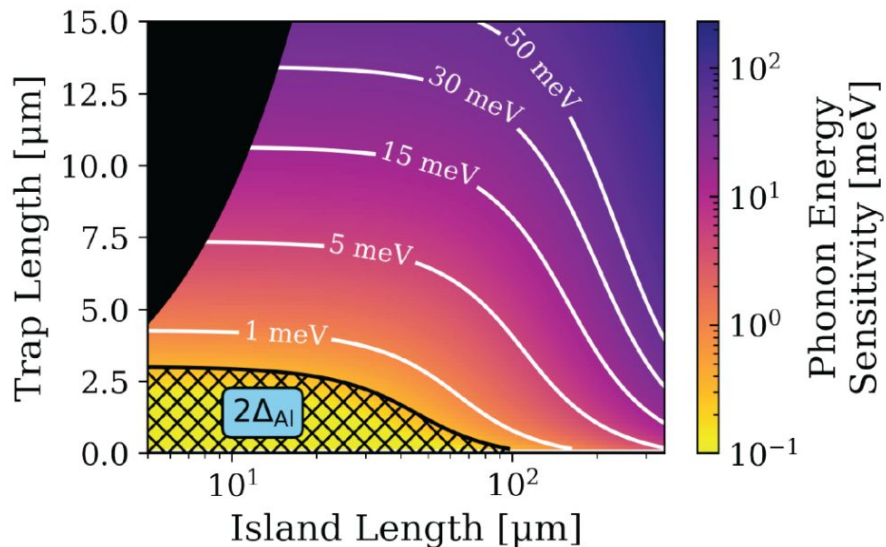


# SQUATs are optimized for *low-threshold* particle detection

- Unlike the QCD, the SQUAT is not coupled to a resonator.
  - Smaller footprint on chip
- Sensitive to qubit's inductance (not quantum capacitance)
- Improved energy sensitivity (next slide)



SQUATs will be made with *novel materials* to reach  $\sim 10\text{-}100$  meV sensitivity to phonons, THz photons



Making the junction of the qubit out of a **low- $T_c$  material** (e.g. hafnium) traps and multiples quasiparticles

SQUAT design paper: C. Fink, et al.  
*Phys. Rev. Appl.*, 2024

# A First Demonstration of the SQUAT Detector Architecture: Direct Measurement of Resonator-Free Charge-Sensitive Transmons

H. Magoon,<sup>1,2,3,\*</sup> T. Aralis,<sup>1,2,†</sup> T. Dyson,<sup>1,2,3</sup> J. Anczarski,<sup>1,2,3</sup> D. Baxter,<sup>4,5</sup> G. Bratrud,<sup>5,4</sup> R. Carpenter,<sup>1,2,6</sup> S. Condon,<sup>1,2,3</sup> A. Droster,<sup>1,2</sup> E. Figueroa-Feliciano,<sup>5,4</sup> C.W. Fink,<sup>7,8</sup> S. Harvey,<sup>1</sup> A. Simchony,<sup>1,2,3</sup> Z.J. Smith,<sup>1,2,6</sup> N. Tabassum,<sup>1,2</sup> B.A. Young,<sup>9</sup> C.P. Salemi,<sup>1,2,10,11</sup> K. Stifter,<sup>1,2</sup> D.I. Schuster,<sup>6</sup> and N.A. Kurinsky<sup>1,2</sup>

<sup>1</sup>*SLAC National Accelerator Laboratory, Menlo Park, California 94025, USA*

<sup>2</sup>*Kavli Institute for Particle Astrophysics and Cosmology, Stanford University, Stanford, CA 94035, USA*

<sup>3</sup>*Department of Physics, Stanford University, Stanford, CA 94035, USA*

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<sup>5</sup>*Department of Physics & Astronomy, Northwestern University, Evanston, IL 60208, USA*

<sup>6</sup>*Department of Applied Physics, Stanford University, Stanford, CA 94035, USA*

<sup>7</sup>*Institute for Quantum & Information Sciences, Syracuse University, Syracuse, NY 13244, USA*

<sup>8</sup>*Department of Physics, Syracuse University, Syracuse, NY 13244, USA*

<sup>9</sup>*Santa Clara University, Santa Clara, CA 95053, USA*

<sup>10</sup>*University of California Berkeley, Berkeley, CA 94720, USA*

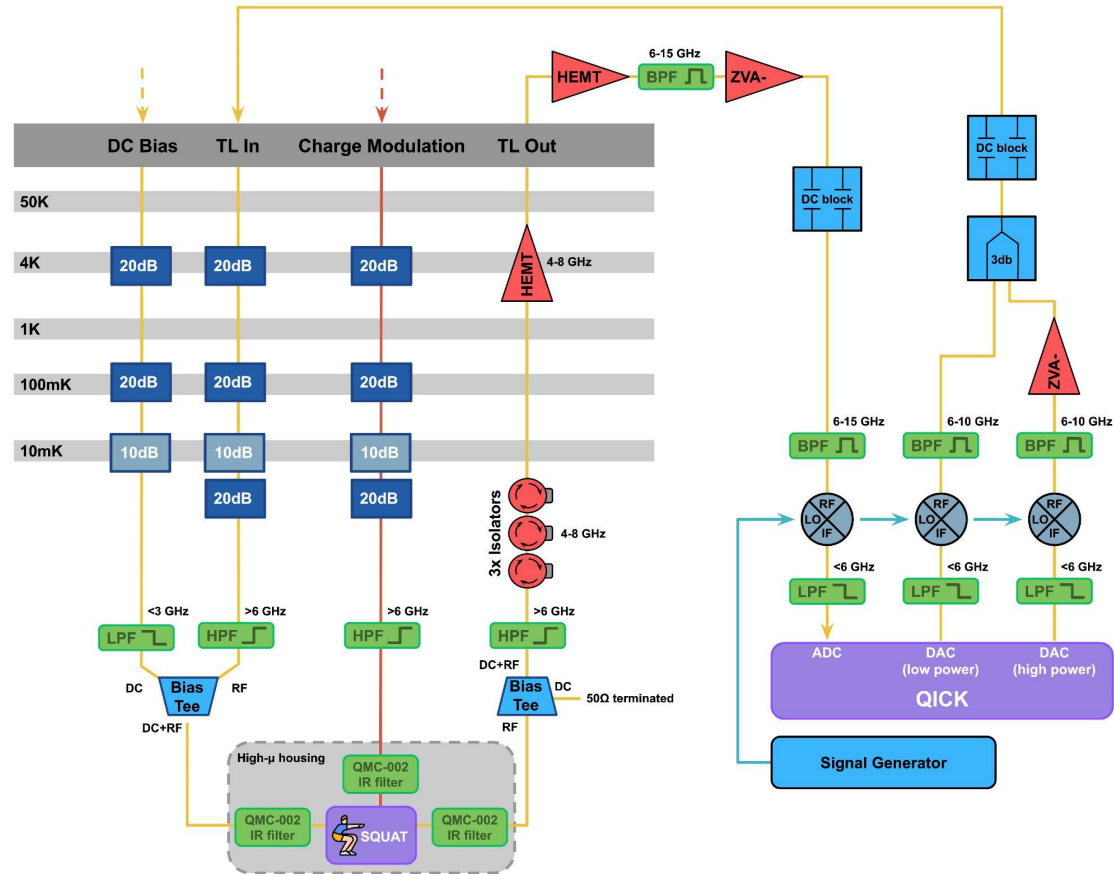
<sup>11</sup>*Lawrence Berkeley National Laboratory, Berkeley, CA 94720, USA*

(Dated: January 8, 2026)

The Superconducting Quasiparticle-Amplifying Transmon (SQUAT) is a new detector architecture for THz (meV) sensing based on a weakly charge-sensitive transmon directly coupled to a transmission line. In such devices, energy depositions break Cooper pairs in the qubit capacitor islands, generating quasiparticles. Quasiparticles that tunnel across the Josephson junction change the transmon qubit parity, generating a measurable signal. In this paper, we present the design of first-generation SQUATs and demonstrate an architecture validation. We summarize initial characterization measurements made with prototype devices, comment on background sources that influence the observed parity-switching rate, and present experimental results showing simultaneous detection of charge and quasiparticle signals using aluminum-based SQUATs.

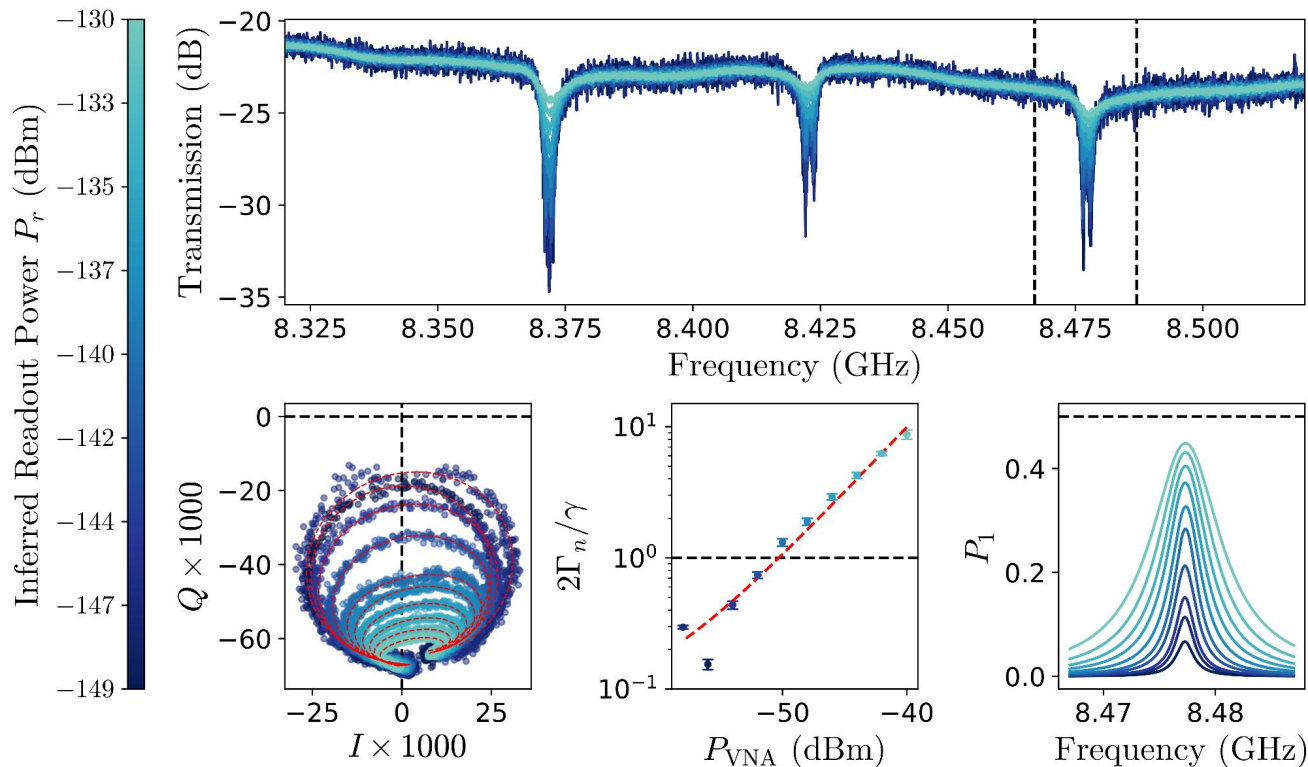
On the arXiv  
next week!

# Measurement setup



SMuRF  
or  
VNA

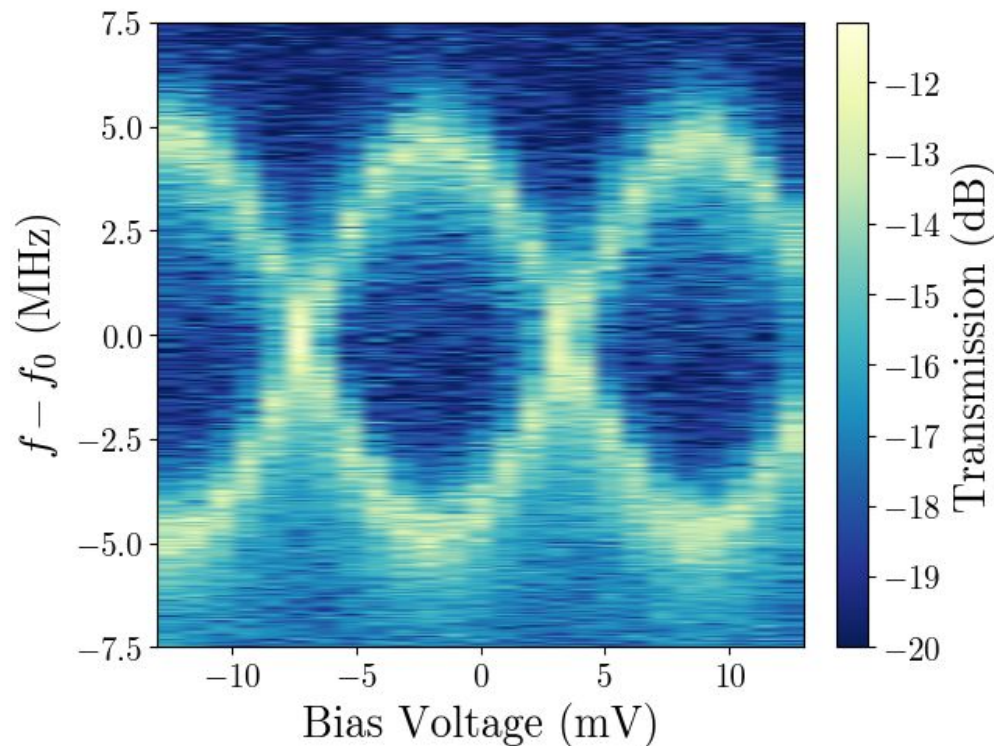
# SQUAT properties vary with readout power



- As probe power increases, transition probability saturates at 50%
- Faster Rabi oscillations
- Probability bandwidth broadens

# SQUAT dispersion changes as function of island charge

- Tune dispersion of qubit states by dc biasing SQUAT
- Dispersion  $\chi \approx 10Q_0$ 
  - $\chi \sim 10$  MHz
  - $Q_0 \sim 1$  MHz
- In this way, we can bias qubit into the degenerate state or maximum dispersion state



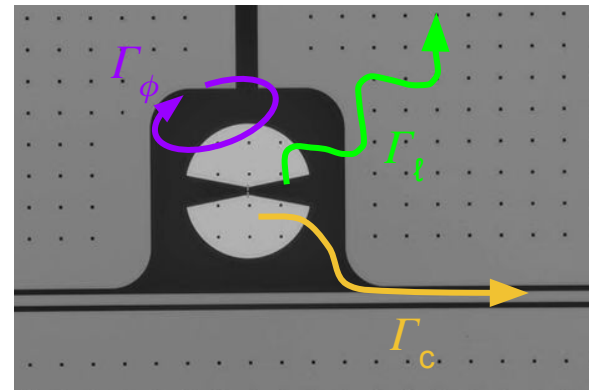
# Pulsed measurements with QICK

$$H_{\text{system}} = H_{\text{qubit}} + H_{TL} + H_{\text{int}}$$

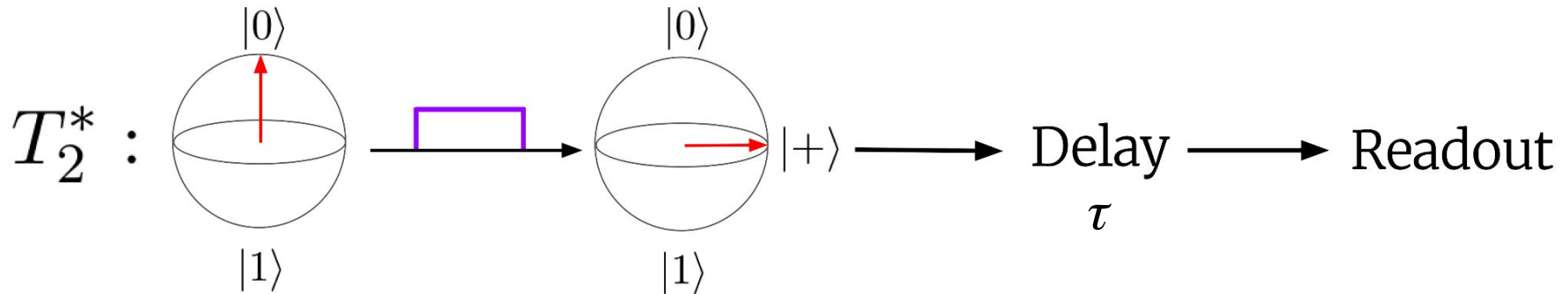
Contains three loss mechanisms:

- $\Gamma_r$ : radiative decay rate,  $\Gamma_r = 1/T_1$ 
  - $\Gamma_r = \Gamma_c + \Gamma_l$ , where  $\Gamma_c$  is coupling to feedline,  $\Gamma_l$  is loss rate
- $\Gamma_\phi$ : dephasing rate,  $\Gamma_\phi = 1/T_2$
- Total decay rate:

$$\gamma \equiv \frac{\Gamma_r}{2} + \Gamma_\phi = \frac{1}{2}(\Gamma_c + \Gamma_l) + \Gamma_\phi$$



# $T_2^*$ (dephasing time) measurement

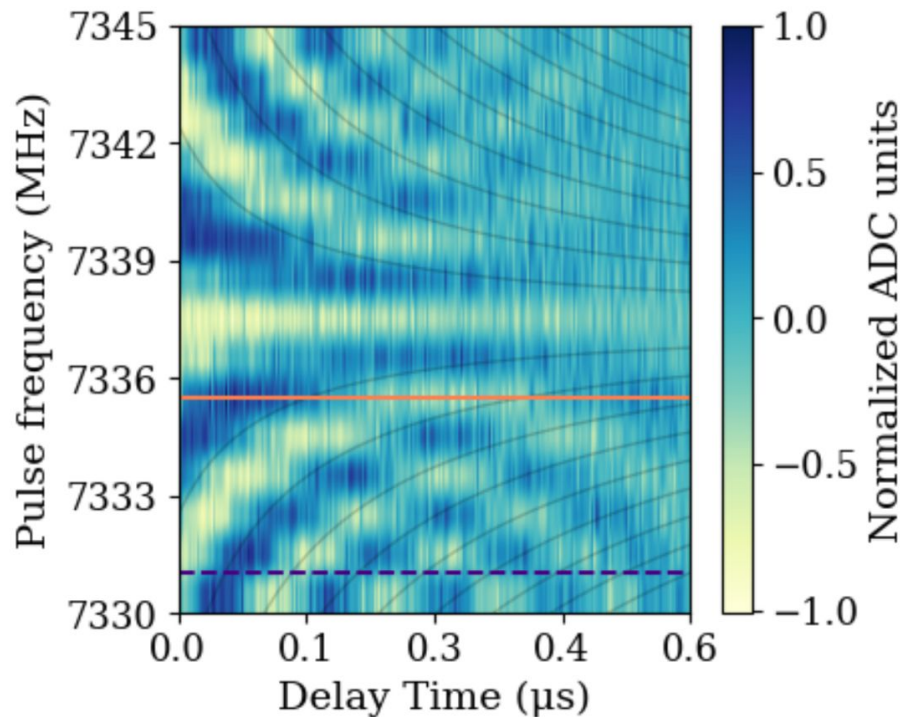
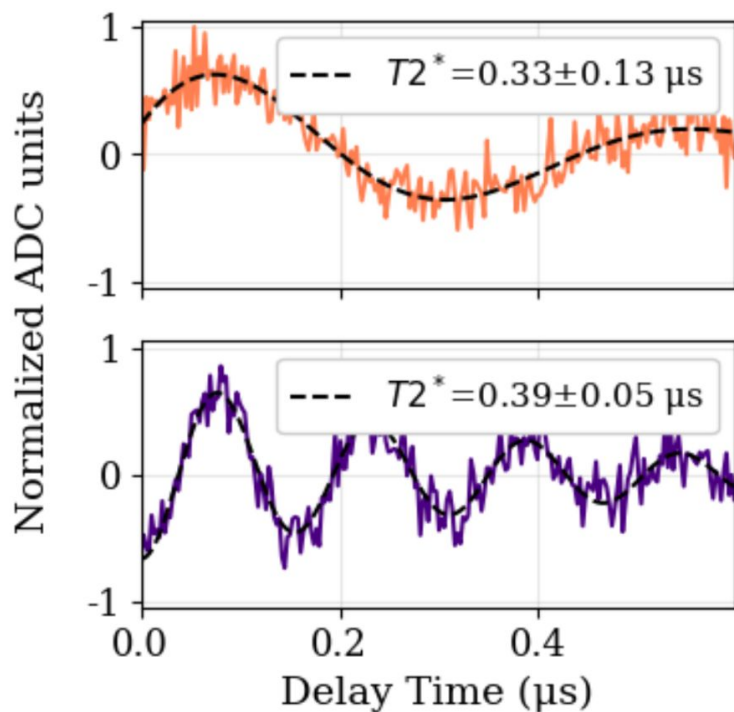


1. Prepare qubit in the ground state, apply  $\pi/2$  pulse to rotate to the  $|+\rangle$  state
2. The qubit precesses (not shown) about the Z axis at rate set by detuning,  $\delta f$
3. Emitted field goes as

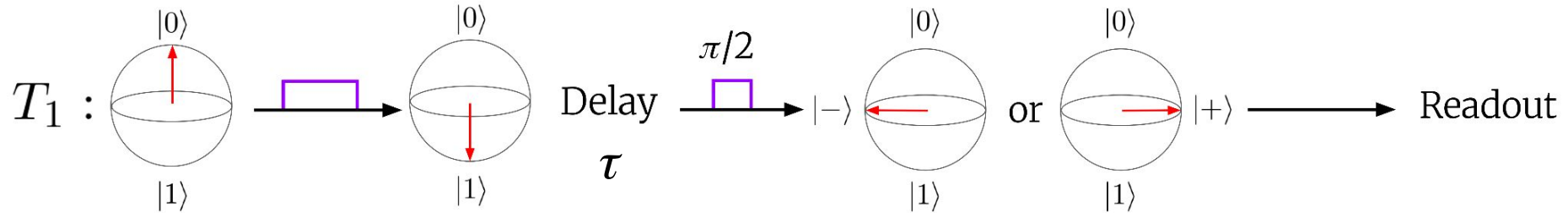
$$\propto e^{-\tau/T_2^*} \cos(2\pi\delta f\tau + \phi_0)$$

4. Vary  $\tau$ , fit to extract  $T_2^*$

# $T_2^*$ (dephasing time) measurement



# $T_1$ (energy relaxation time) measurement

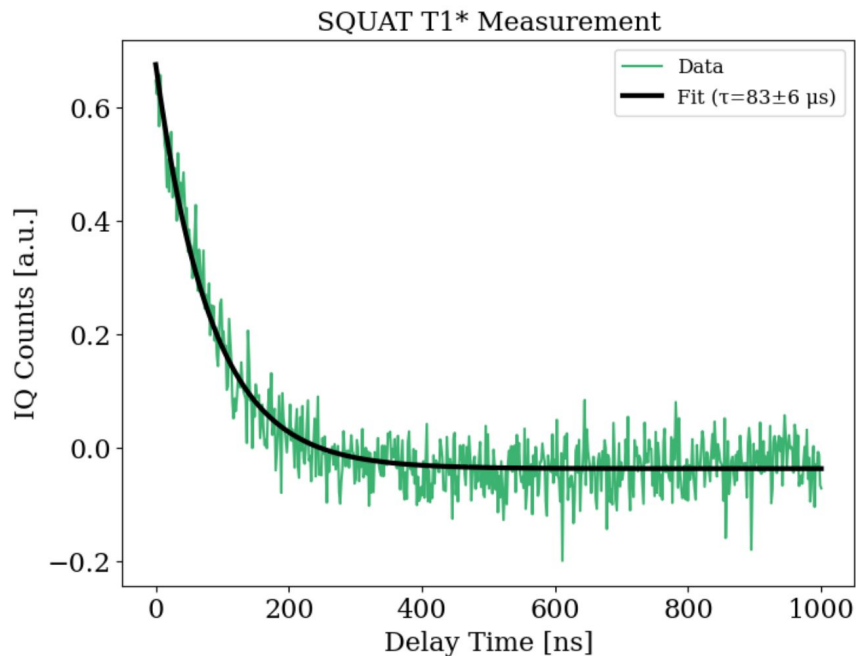


1. Prepare qubit in the excited state
2. The qubit precesses (not shown) about the Z axis at rate set by detuning,  $\delta f$
3. Wait variable delay time  $\tau$ , apply  $\pi/2$  pulse to rotate qubit into the XY plane
4. Emitted field depends on whether the qubit decayed or not:

$$\propto \begin{cases} +1 & \text{if qubit decayed to } |0\rangle \\ -1 & \text{if qubit remained in } |1\rangle \end{cases}$$

5. Measure emission to the feedline, fit to extract  $T_1$

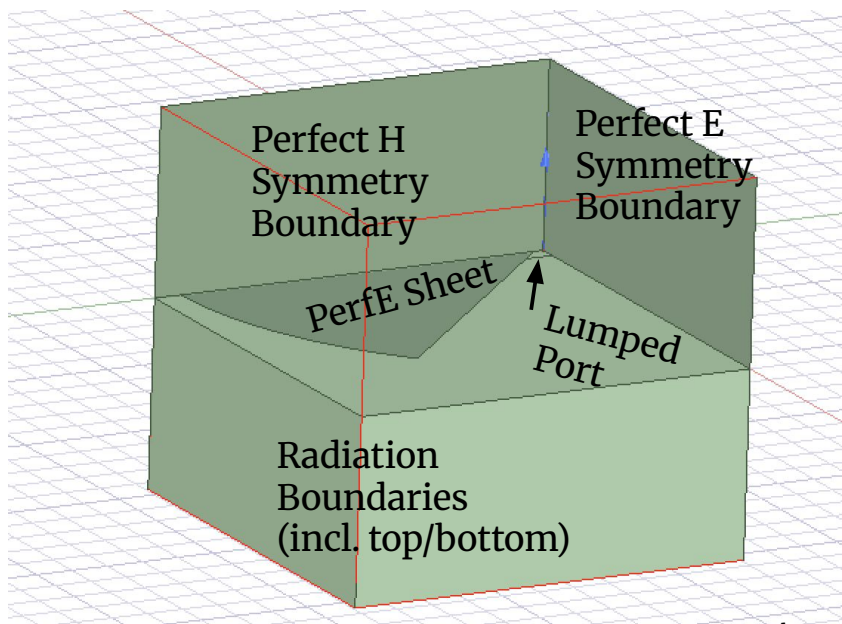
# $T_1$ (energy relaxation time) measurement



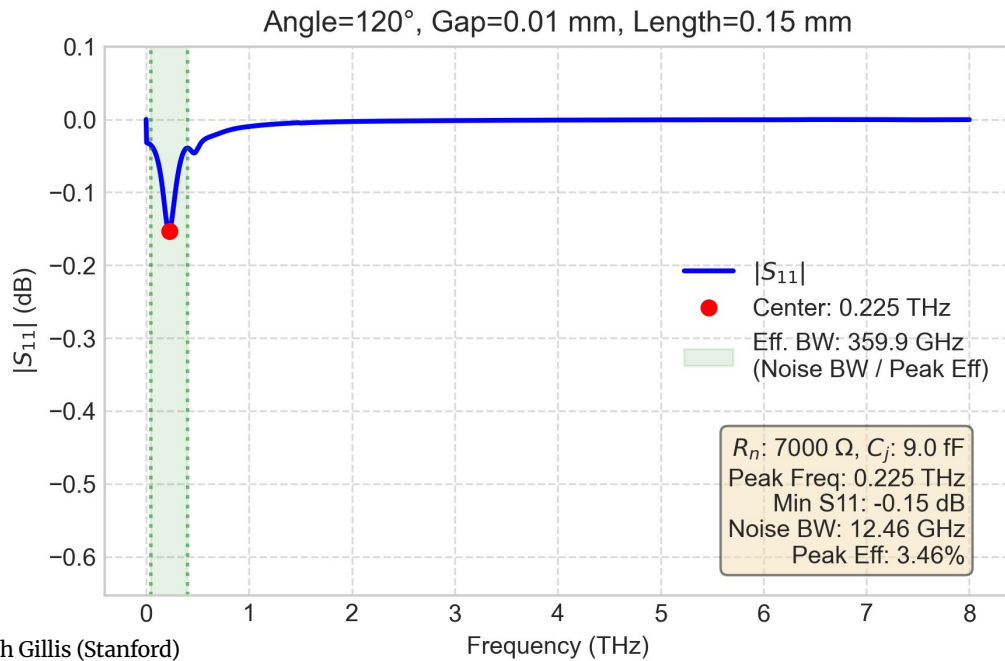
- Typical  $T_1$  times are  $\sim 100$  ns
- Significantly shorter than typical transmon qubits due to the fact that we desire quasiparticle tunneling

# SQUATs have well-understood coupling to THz radiation

## HFSS model

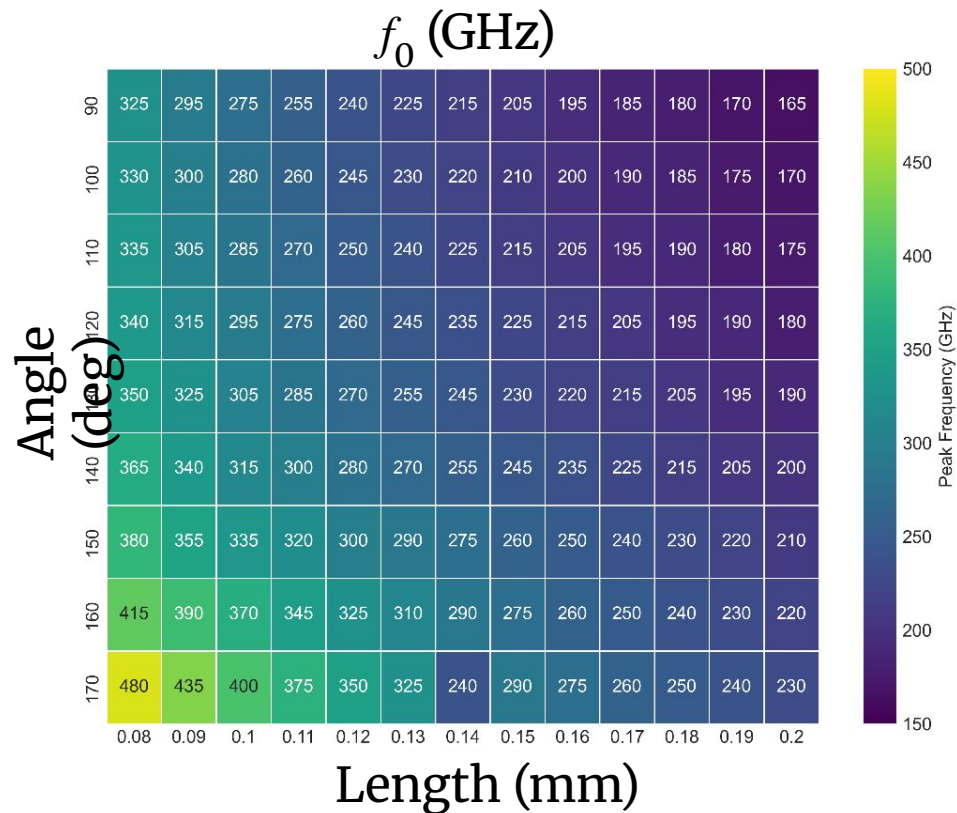
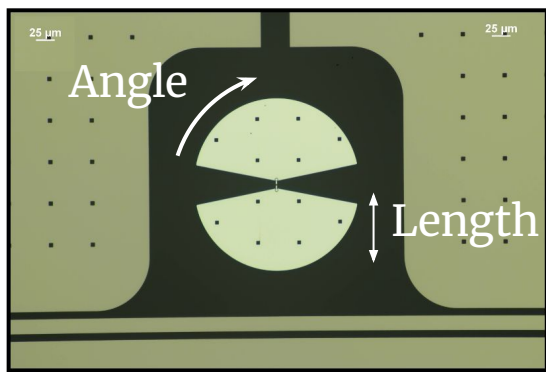


Plot: Zach Gillis (Stanford)



Method follows Rafferty, et al.  
arXiv:2103.06803

# Defining central bands for an array of SQUATs

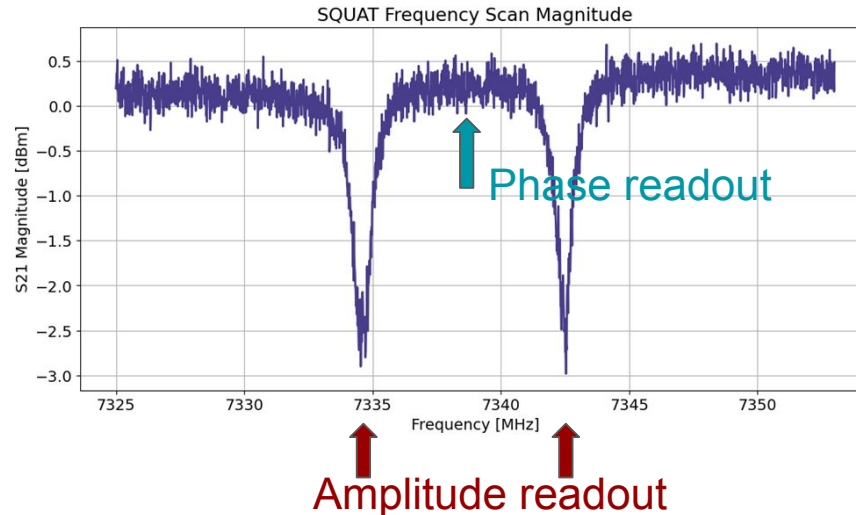


Not shown here, but also well-characterized:

- Bandwidth
- Coupling efficiency
- Parity switching rate dependence on temperature

# Parity measurements

1. Quasiparticle tunneling toggles the parity state of the SQUAT
2. By directly coupling the SQUAT to the feedline, the parity state can be monitored with a continuous microwave tone
3. Two possible readout modes: amplitude and phase



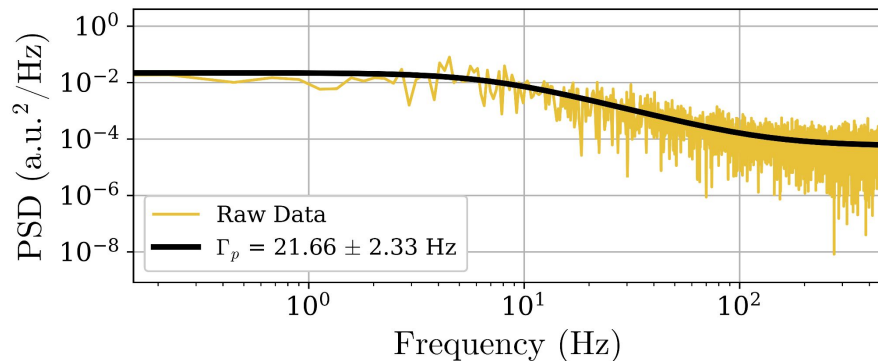
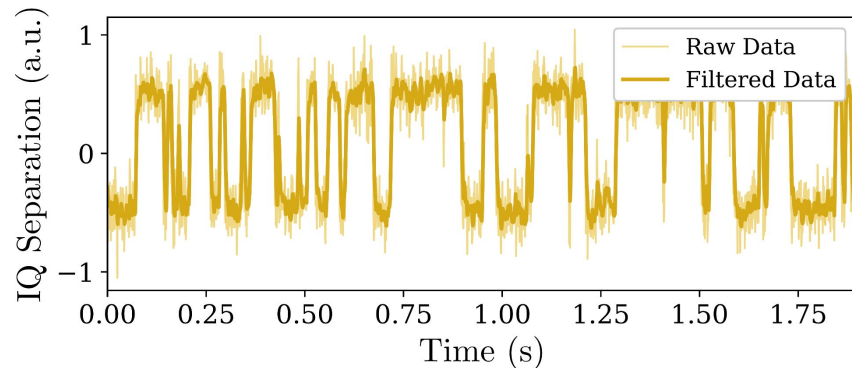
# Parity measurements: extracting $\Gamma_{qp}$

Extract switching rate by fitting<sup>†</sup> to the FFT via:

$$S(f) = F^2 \frac{4\Gamma_{qp}}{(2\Gamma_{qp})^2 + (2\pi f)^2} + (1 - F^2) f_{bw}^{-1}$$

Parity switching rate:

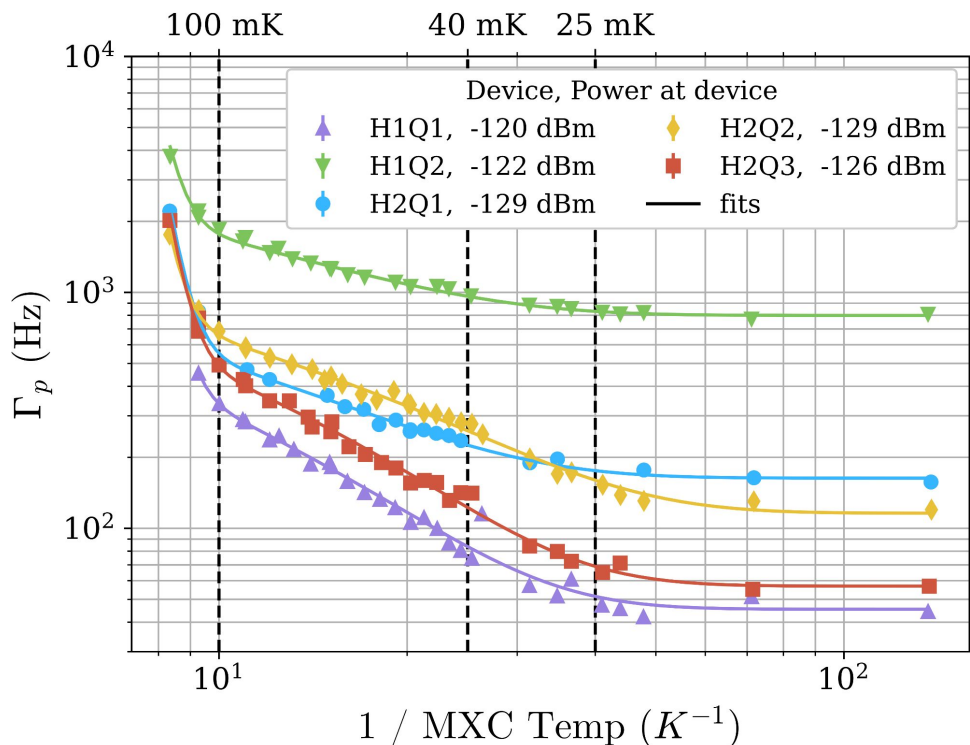
$$\Gamma_{qp} \approx 20 \text{ Hz}$$



<sup>†</sup>Riste, D, et al. *Nature Communications*, 2013

# Parity switching rate temperature dependence

- † By measuring  $\Gamma_p$  as function of temperature, we can extract non-equilibrium quasiparticle density,  $x_{qp}$ , and SC gap difference,  $\delta\Delta$
- 3 regimes:
  - Low temp: non-thermal processes dominate (i.e. photon events)
  - Intermediate temps: thermal activation of quasiparticles increases rate
  - High temp:  $x_{qp}$  increases, leading to exponential increase in rate



† Nho, et al., arXiv:2505.08104

# Parity switching rate temperature dependence

Why different baselines  
for different qubits?

Device	$x_{qp}^{nc} (\times 10^{-8})$	$\delta\Delta$ (GHz)	$T_c$ (K)	$\Gamma_{other}$ (Hz)
H1Q1	$1.99 \pm 0.06$	$2.59 \pm 0.06$	$1.114 \pm 0.008$	$45.8 \pm 0.8$
H1Q2	$4.8 \pm 0.3$	$2.2 \pm 0.1$	$1.076 \pm 0.005$	$800 \pm 8$
H2Q1	$1.7 \pm 0.1$	$2.2 \pm 0.1$	$1.098 \pm 0.004$	$163 \pm 2$
H2Q2	$2.14 \pm 0.04$	$1.59 \pm 0.03$	$1.141 \pm 0.003$	$116 \pm 2$
H2Q3	$1.93 \pm 0.04$	$2.32 \pm 0.04$	$1.103 \pm 0.002$	$57.2 \pm 1.0$

Make up a nuisance  
variable and blame him!

†Fit function:

$$\Gamma_p(1/T) = (1 - P_1)\Gamma_0 + P_1\Gamma_1 + \Gamma_{other}$$

Contains  $x_{qp}$ ,  $\delta\Delta$  dependence

† Nho, et al., arXiv:2505.08104



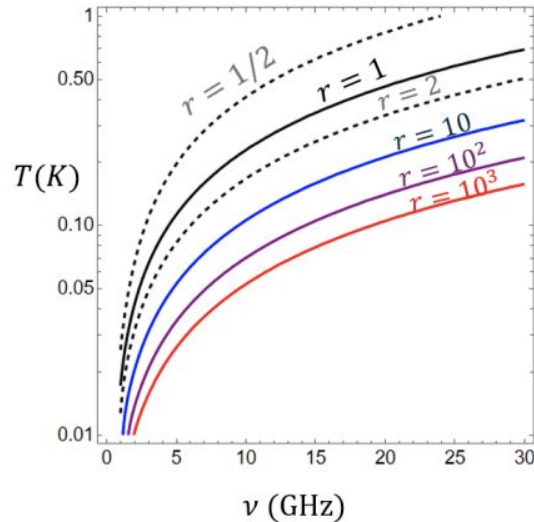
# Summary

- 5 SQUAT devices are well-characterized with understood dynamics
  - Power scans, frequency scans, pulsed measurements, time domain measurements
- First measurement of parity switching events in SQUATs!
- Future work will focus on understanding backgrounds, antenna modes
- Next-gen detectors are being fabricated with gap engineering
- BREAD-compatible focal plane of SQUATs is realistic and on the horizon

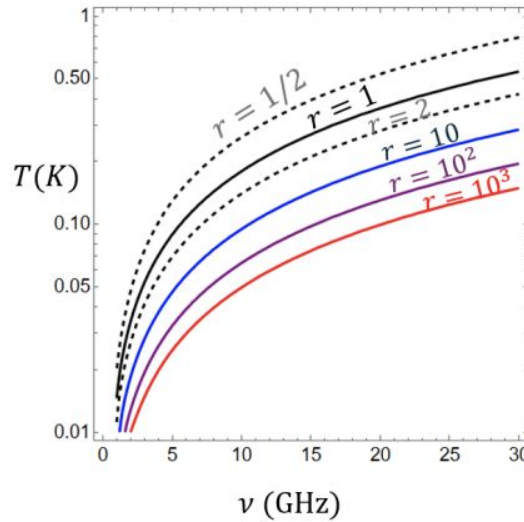
# Extras

# Searching for high-mass axions requires new detector technology

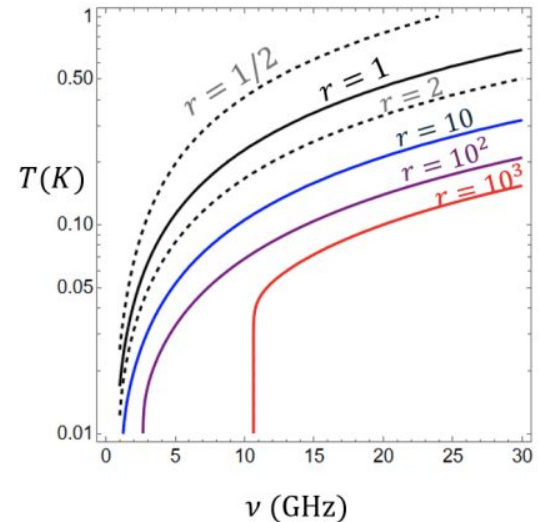
SQL amplifier vs  $100\text{s}^{-1}$  dark count rate SPD



Squeezed amplifier vs  $100\text{s}^{-1}$  dark count rate SPD



SQL amplifier vs  $10^3\text{s}^{-1}$  dark count rate SPD



# SQUATs vs QCDs

- Unlike the QCD, the SQUAT is not coupled to a readout resonator
  - No longer sensitive to quantum capacitance, but rather the qubit's inductance
- Significant reduction in footprint
  - Improved pixel density, photon sensing efficiency
- Multiplexing is straightforward
- Reduced TLS noise
- Improved energy sensitivity

# SQUAT fabrication

1. Anneal 430  $\mu\text{m}$  thick C-plane sapphire wafer at 1200 C for 2 hours
2. Deposit 100 nm Nb ground plane using Plassys MEB550S at  $2.5\text{e-}8$  Torr, with Ti getter before every deposition
  - a. Pattern ground plane feature with optical lithography
3. Deposit layer of 200 nm Al using Plassys
4. Dolan junctions were patterned with a Raith EBPG 5200+ Electron Beam Lithography System on a bi-layer of 895 MMA EL 13 and PMMA 950 A4.
  - a. The first layer is composed of 45 nm aluminum deposited at  $-23^\circ$ .
  - b. The chamber was filled with an 897 O<sub>2</sub>/Ar mix and static oxidation was run at 30 Torr
  - c. A second layer of aluminum was deposited with 115nm thickness 898 at angle  $+23^\circ$ .

# Readout

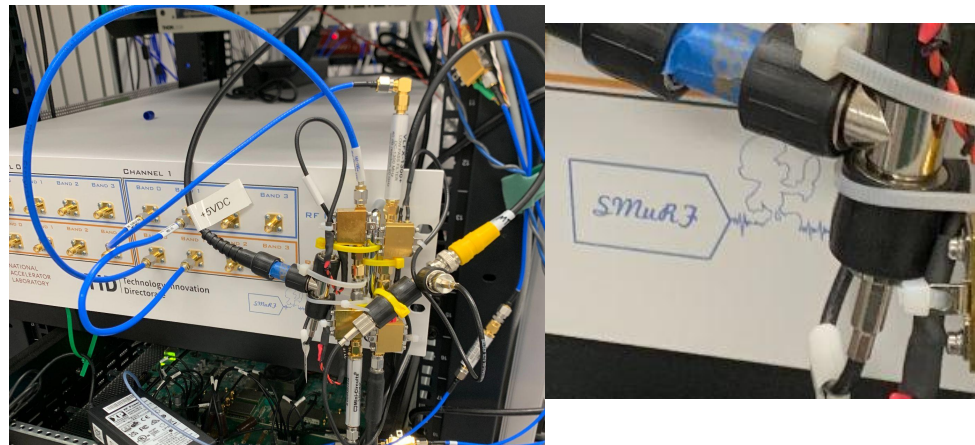
## Pulsed measurements with QICK

- RFSoc board (ZCU 216) running QICK
- Short pulses set qubit's state
- Extract Rabi rate  $\Omega$ ,  $T_1$ ,  $T_2$

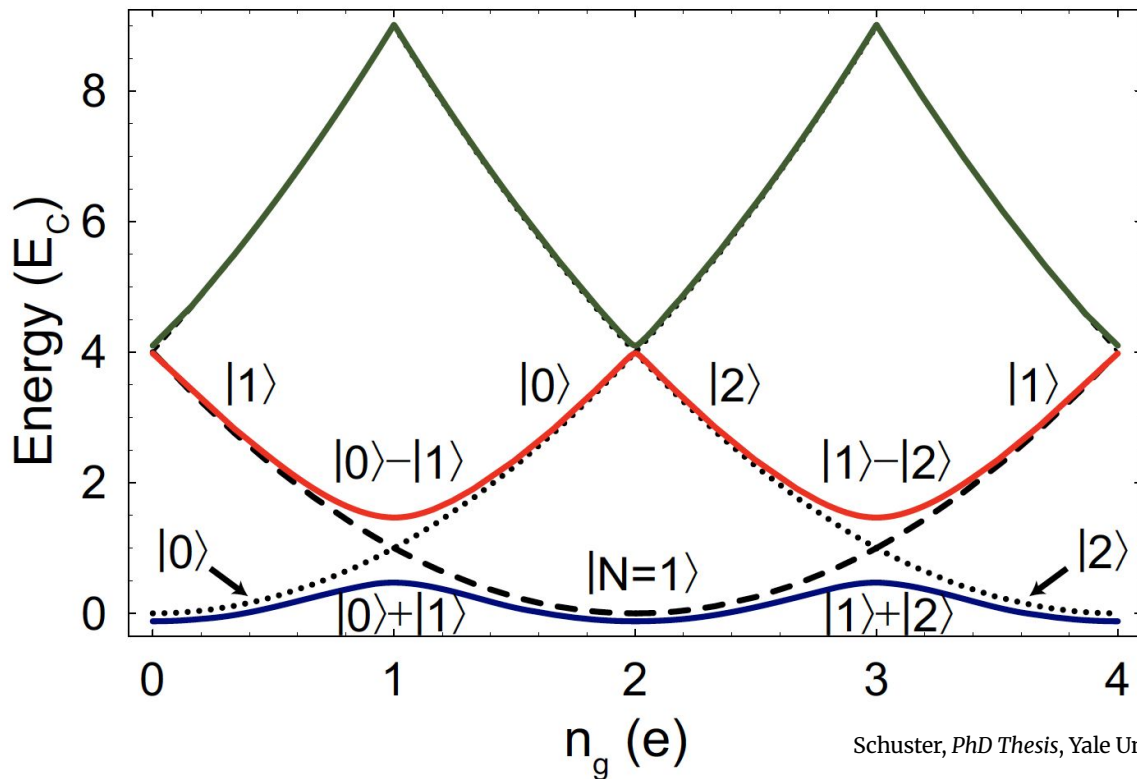


## Steady-state measurements with SMuRF

- RFSoc board running SMuRF software
- Developed for readout of CMB experiments

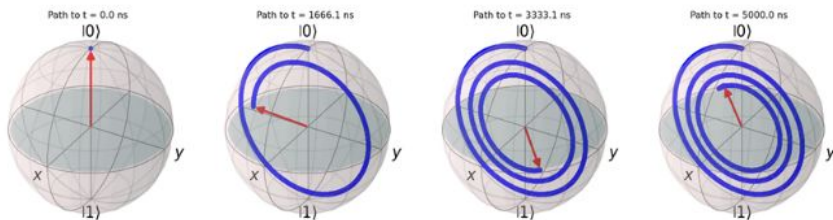


# Cooper pair box qubit energy levels

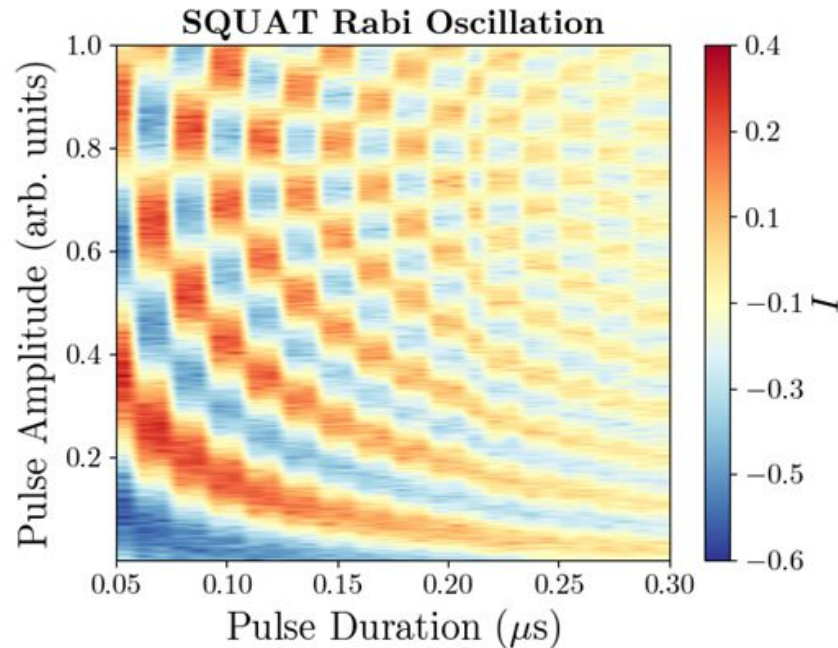


Schuster, *PhD Thesis*, Yale University, 2007

# Measuring Rabi oscillations allow us to prepare qubit in $|+\rangle$ or $|-\rangle$ state



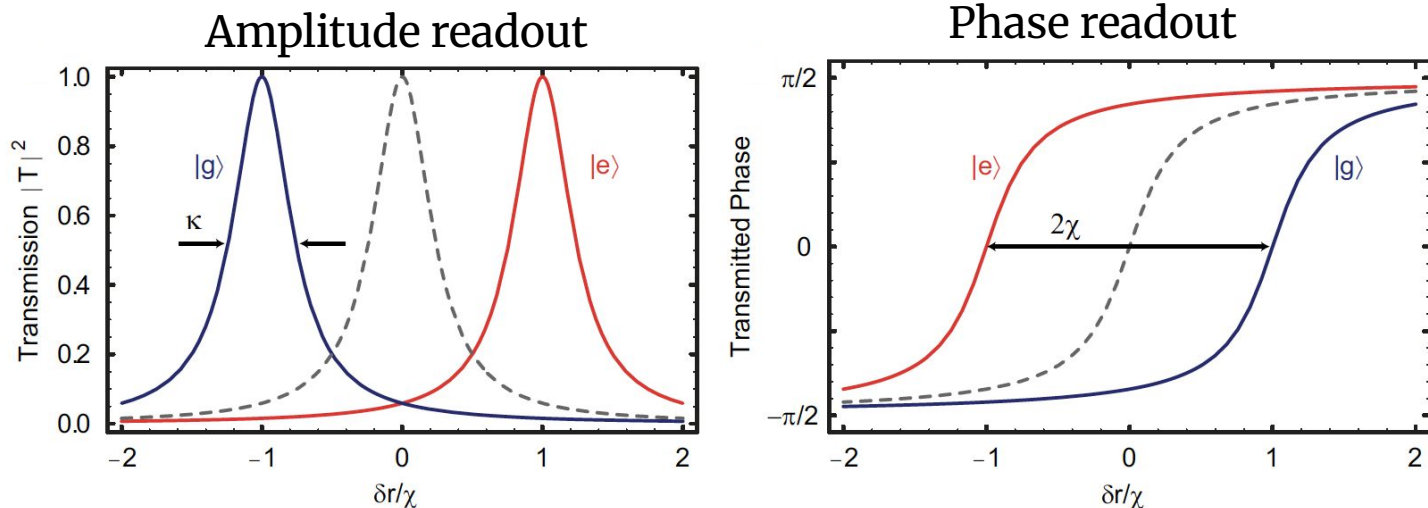
1. Apply a pulse at  $f_0$ , vary power & duration
2. Qubit precesses in Bloch sphere
3. Measure the emitted field, sensitive to  $\langle \sigma_- \rangle$



# SQUAT properties

Device	$f_0$ (GHz)	$2\chi_0$ (MHz)	$E_J/h$ (GHz)	$E_C/h$ (MHz)	$\gamma$ (MHz) $\rightarrow T_2$ (ns)	$\Gamma_r$ (MHz) $\rightarrow T_1$ (ns)	$\Gamma_c$ (MHz)	$T_2^*$ (ns)	$T_1$ (ns)
H1Q1	7.35	9.46	12.8	626	$3.670 \pm 0.003$ $\rightarrow 266.5 \pm 0.2$	$6.35 \pm 0.06$ $\rightarrow 156 \pm 1$	$6.301 \pm 0.004$	$291 \pm 18$	$210 \pm 8$
H1Q2	8.18	3.10	15.7	622	$5.564 \pm 0.002$ $\rightarrow 179.54 \pm 0.08$	$11.106 \pm 0.005$ $\rightarrow 90.00 \pm 0.04$	$11.140 \pm 0.004$	$143 \pm 5$	$98 \pm 3$
H2Q1	8.37	1.92	16.6	615	$10.01 \pm 0.09$ $\rightarrow 98.8 \pm 0.9$	$19.3 \pm 0.1$ $\rightarrow 51 \pm 3$	$18.8 \pm 0.1$	$116 \pm 2$	$81 \pm 2$
H2Q2	8.42	2.11	16.7	618	$4.80 \pm 0.03$ $\rightarrow 207 \pm 1$	$9.60 \pm 0.06$ $\rightarrow 103.7 \pm 0.7$	$9.61 \pm 0.06$	$106 \pm 5$	$103 \pm 9$
H2Q3	8.47	1.57	17.2	606	$5.6 \pm 0.1$ $\rightarrow 174 \pm 4$	$10.7 \pm 0.7$ $\rightarrow 93 \pm 6$	$10.4 \pm 0.2$	$85 \pm 3$	$104 \pm 4$

# Parity measurements



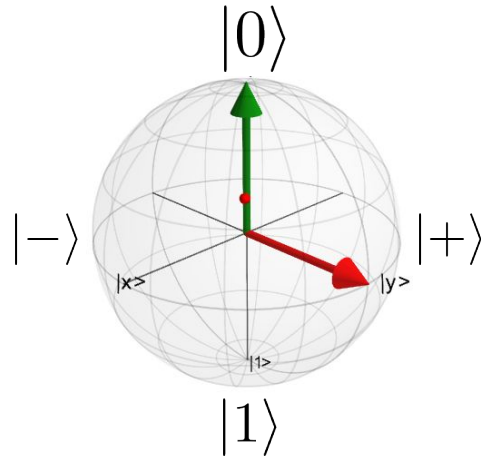
Phase readout is more advantageous than amplitude readout for a few reasons:

1. Amplitude readout requires 2 tones, or tone tracking due to variable  $n_g$ . Phase readout requires 1 tone and no tone tracking.
2. Phase readout measures charge and parity events simultaneously.
3. When optimized, phase readout has twice the SNR of amplitude readout.

# Pulsed measurements

We measure the phase of the emitted field, which is sensitive to  $\langle \sigma_- \rangle$

$$H_{\text{system}} = H_{\text{qubit}} + H_{TL} + H_{\text{int}}$$

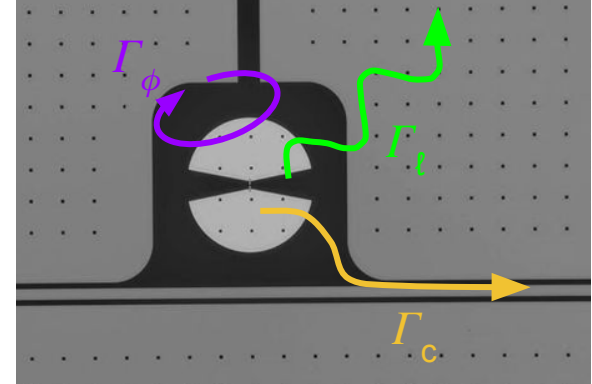


# Master Equation, Gammas

$$\frac{d}{dt}\rho(t) = -i [H_{\text{eff}}, \rho] + \Gamma_r \mathcal{D}[\sigma_-]\rho + \frac{\Gamma_\phi}{2} \mathcal{D}[\sigma_z]\rho^\dagger$$

- $\Gamma_r$ : radiative decay rate,  $\Gamma_r = 1/T_1$ 
  - $\Gamma_r = \Gamma_c + \Gamma_l$ , where  $\Gamma_c$  is coupling to feedline,  $\Gamma_l$  is loss rate
- $\Gamma_\phi$ : dephasing rate,  $\Gamma_\phi = 1/T_2$
- Total decay rate:

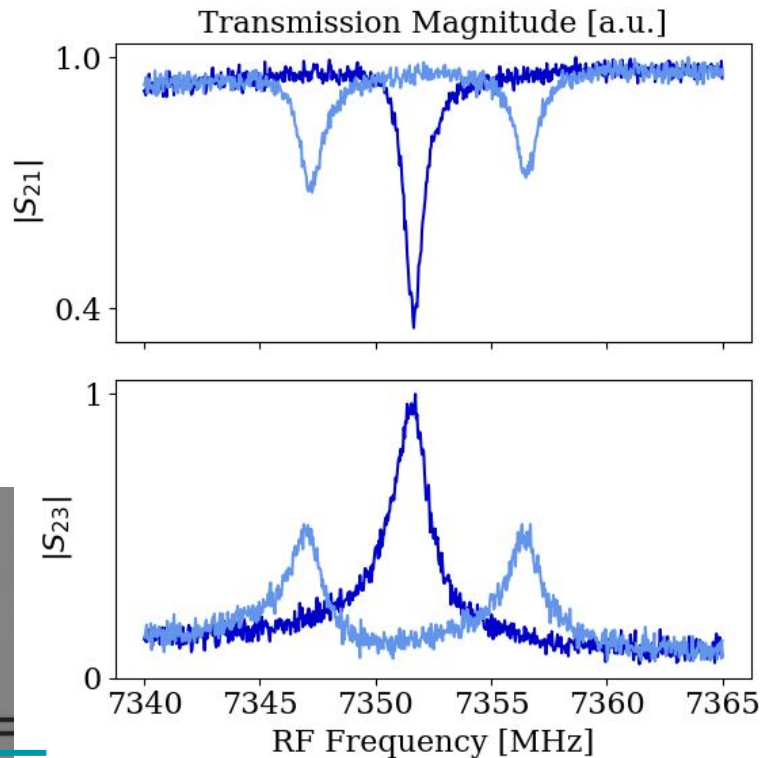
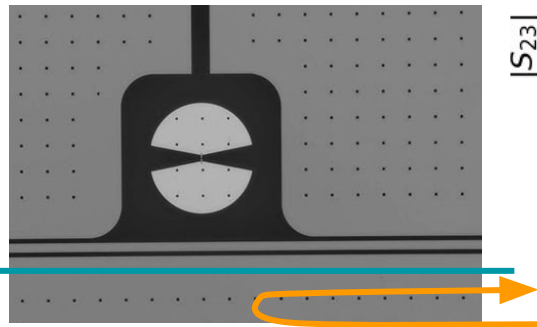
$$\gamma \equiv \frac{\Gamma_r}{2} + \Gamma_\phi = \frac{1}{2}(\Gamma_c + \Gamma_l) + \Gamma_\phi$$



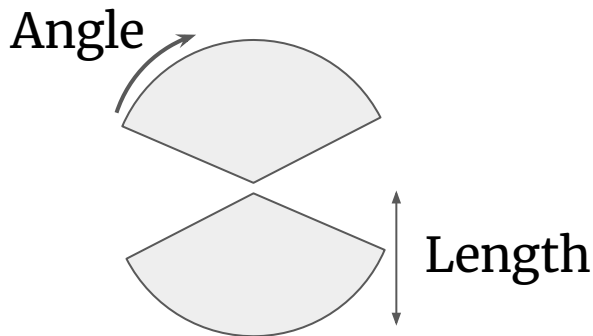
# Fit the resonance, get the gammas

1. Use the master equation to write EoM for each operator
2. Find steady state solution by setting  $\langle \dot{\sigma}_- \rangle = \langle \dot{\sigma}_z \rangle = 0$
3. Plug solution into IO theory to get transmission, reflection
4. Fit to extract Gammas

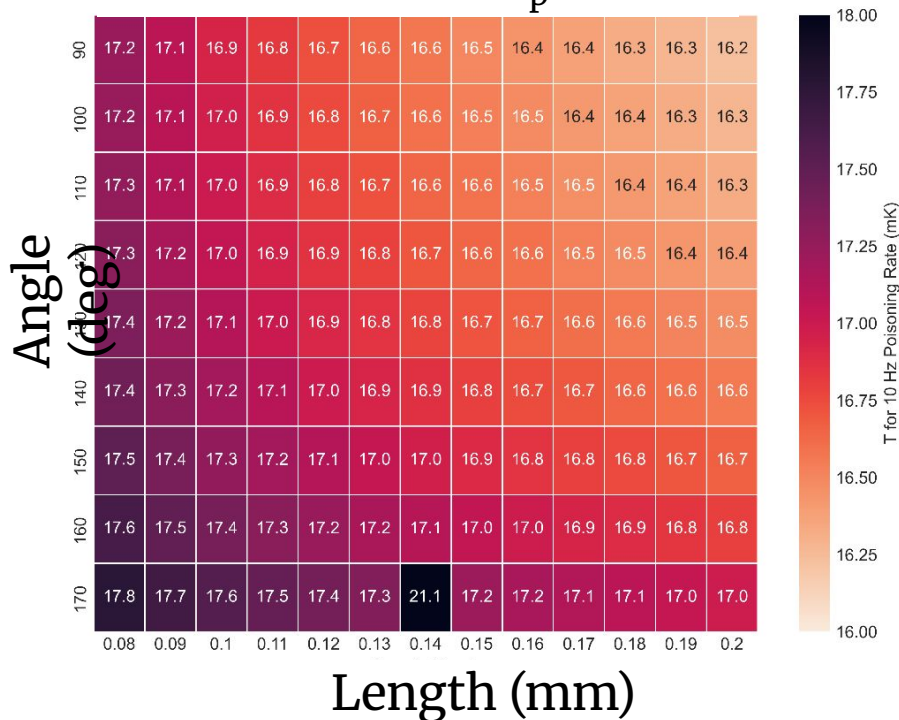
$$t = 1 - \frac{\Gamma_c}{2\gamma} \frac{1 - i\frac{\Delta}{\gamma}}{1 + \left(\frac{\Delta}{\gamma}\right)^2 + \frac{\Omega^2}{\gamma\Gamma_r}}$$
$$r = -\frac{\Gamma_c}{2\gamma} \frac{1 - i\frac{\Delta}{\gamma}}{1 + \left(\frac{\Delta}{\gamma}\right)^2 + \frac{\Omega^2}{\gamma\Gamma_r}}$$



# SQUATs have well-understood coupling to THz radiation



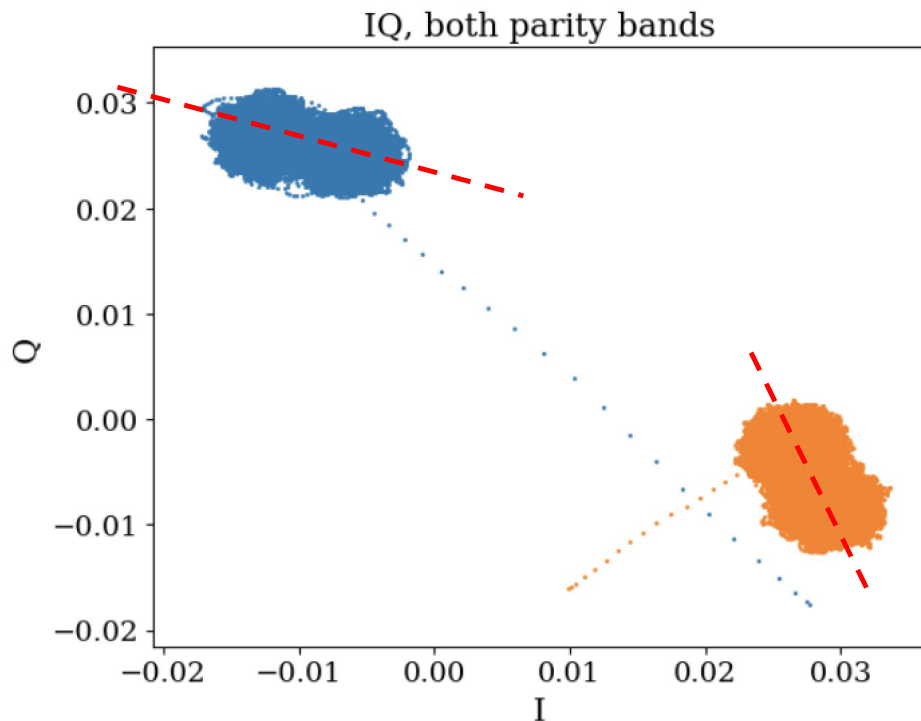
Temp (mK) for  $\Gamma_p$  10 Hz



Rafferty, et al. arXiv:2103.06803

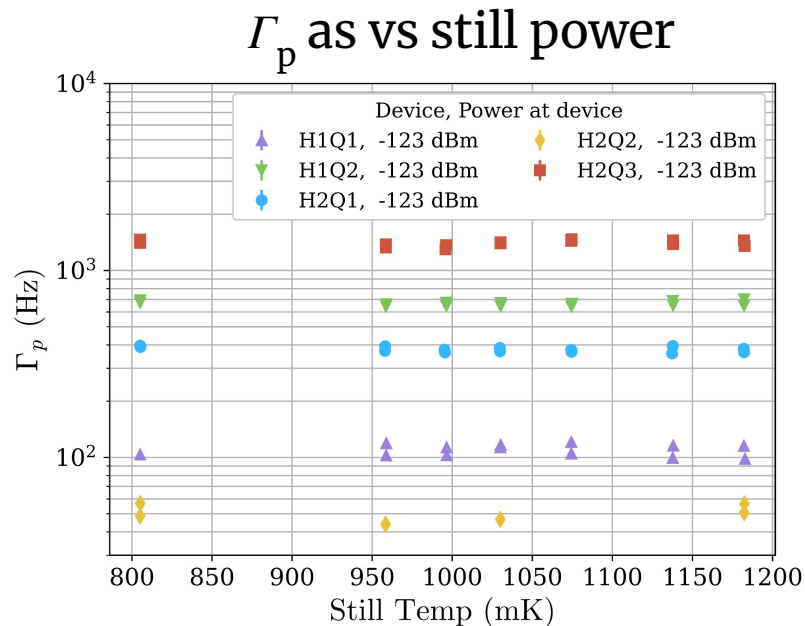
# Parity measurements

- Parity states appear as separate blobs in IQ space
- Readout occurs on the axis of maximum separation
- We optimizing readout power to give maximum phase space separation between the two parity states



# What drives background rates?

1. IR environment is sub-dominant contribution
2. Increasing readout power increases  $\Gamma_p$ . 3 likely mechanisms:
  - a. Increases qubit transition probability
  - b. Adds energy to quasiparticles
  - c. Increased dissipation in attenuators changes blackbody environment
3. Pulse tube vibrations



# Monte Carlo